## Mesh Reduction - Triangle Strips

By Elijah Berberette \& Hunter Price



## Test Questions

1. What is a Frame and Frame Rate and why should you care about it?
2. Why would one use Triangle Strips?
3. What kind of data is typically tied to a face/triangle in a mesh?

## Elijah Berberette

- Degree:

Computer Science Masters (maybe PhD)

- Concentration: Intelligent Systems and Machine Learning Advisor: Dr. Jens Gregor

- Interests
- Machine Learning/Deep Learning

Software Engineering

- Goals

Publish one DL paper by the end of the year
Become an ML engineer

- Hometown: Lobelville, TN

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## Hunter Price

- Degree:
- Computer Science Masters (maybe PhD)
- Concentration: Scientific Visualization
- Advisor: Dr. Jian Huang
- Interests
- 3D Visualization
- Machine Learning/Deep Learning
- Goals
- Discover how to intertwine HCl , Visualization, and DL to model and share intelligence.
- Hometown: Kelso, Washington



## Outline

- Overview of Graphics and the Graphics Pipeline
- History Of Graphics \& Mesh Reduction
- The Basic Triangle Strip Generation Algorithm
- Applications of Mesh Reduction \& Triangle Strip Generation
- Live Demo \& Collected Data
- Open Issues In Mesh Reduction
- References \& Discussion
- Test Questions Revisited


## Overview

- Computer Graphics

- All about how to model light transport
- Rendering
- Generating images from some internal model
- Mesh
- Collection of vertex and face data
- Framebuffer/Frame
- A h×wx3 buffer holding pixel data to be displayed on the screen
- Triangle Strip (Sequential Tristrip)
- "a sequence of $n+2$ vertices that represent $n$ triangles" [Vaněček]



## What is a triangular mesh?

- Collection of:
- Vertices - $\mathrm{v}:\langle\mathrm{x}, \mathrm{y}, \mathrm{z}>$
- Vertex Normals - vn: <x, y, z>

- Texture Coordinates - vt: <u, v>
- Face Specifications - $\mathrm{f}: ~<~ v / v n / v t, ~ v / v n / v t, ~ v / v n / v t ~>~$
- Can create complex geometries out of simple shapes



## Rendering A Frame

- For each triangle we want to render we need:
- 3 vertex coordinates
- 3 vertex normals
- $\quad(\sim 0-6)^{*} 3$ vertex texture coordinates
- Pass data from CPU to GPU
- GPU does computation and returns a frame.
- Generally want to do this ~30 times a second
- Issue?

PCle $3.0 \times 16$ Bandwidth is $16 \mathrm{~GB} / \mathrm{s}$

- PCle $4.0 \times 16$ Bandwidth is $32 \mathrm{~GB} / \mathrm{s}$

```
void draw_triangle(
    float[] v1, float[] v2, float[] v3
    float[] n1, float[] n2, float[] n3
) {
// draw a triangle
glBegin(GL_TRIANGLES);
// vertex 1
        glNormal3f(n1[0], n1[1], n1[2]);
        glVertex3f(v1[0], v1[1], v1[2]);
        // vertex 2
        glNormal3f(n2[0], n2[1], n2[2]);
        glVertex3f(v2[0], v2[1], v2[2]);
        // vertex 3
        glNormal3f(n3[0], n3[1], n3[2]);
        glVertex3f(v3[0], v3[1], v3[2]);
    glEnd();
```


## History

## sgi <br> ®

- Graphics
- First computer graphics system developed at MIT 1963 named Sketchpad.
- PHIGS - one of the first ISO attempts at a standard graphics library in the 80's.
- Silicon Graphics Inc (SGI) flourished in the late 80's - 90's with a proprietary API named IRIS GL.
- SGI open sourced their GL as an open standard named OpenGL.
- WebGL released in 2011.
- Tri Strip Generation Algorithms
- SGI - SGI Algorithm (1990)
- $\quad$ STRIPE - Optimizing triangle strips for fast rendering (1996)
- Tunneling - Tunneling for Triangle Strips in Continuous Level-of-Detail Meshes (2001)


## Triangle Strip Generation - High Level Overview

- NP-Complete Problem

Analogous to the Hamiltonian path problem

- Typically done only once on a mesh
- Algorithm Time Complexity: O(n+n*s)
n : number of triangles
s : number of strips
- General Steps

1. Read Triangular Mesh \& Create Adjacency Graph
2. Run Graph Through TriStrip Generation Algorithm

## Preprocessing Data - Adjacency Graph

1. Create a list of Triangle Objects for each face in mesh.
a. fill the vRef list with indices into vertex array, and file the aTri list with default values.
2. Create empty list to hold Edge Objects.
3. Iterate through each triangle create 3 Edge objects connecting the vertices and add them to the list of edges.
a. ensure ref0 has the smaller index between ref0 and ref1
4. Sort the edge list 3 times in order of faceNb, ref0, ref1
5. Iterate through list of edges if adjacent edges share both ref0 and ref1, connect the two faces they represent.

## SGI-based Algorithm [Vaněček]

- Steps:

1. If there are no more triangles in the triangulation then exit
2. Find the triangle $t$ with the least number of neighbors
3. Start a new strip
4. Insert the triangle $t$ to the strip and remove it from the triangulation
5. If there is no neighboring triangle $t$ then go to step 1 .
6. Choose a new triangle $t$, neighboring to triangle $t$, with the least number of neighbors. If there is more than one triangle $t^{\prime}$ with the same least number of neighbors, look one level ahead, if there is a tie again, choose $t^{\prime}$ arbitrarily.
7. $t<-t^{\prime}$. Go to step 4 .

# Tunneling for Triangle Strips in Continuous Level-of-Detail Meshes [2001] 



4 strips for 270 triangles


Tunneling algorithm $-1,798$ strips


22 strips for 270 triangles

## Applications

- Scientific Visualization (Medical Imaging)
- Video Games (Unity \& Unreal Engine)
- CAD

- Revit


Live Demo

- https://cosc581-project.github.io/



## Basic vs Tristrip Comparison

| Mesh | \# Vertices | \# Faces | \# Strips | \# Strip Vertices |
| :--- | :--- | :--- | :--- | :--- |
| Sphere | 114 | 224 | 56 | 336 |
| Bunny | 2,403 | 4,968 | 1,143 | 7,254 |
| Teapot | 3,644 | 6,320 | 587 | 7,494 |
| Nefertiti | $1,009,118$ | $2,018,232$ | 440,746 | $2,899,724$ |

## Basic vs Tristrip Comparison - Per Frame (30 fps)

| Mesh | \# Vertices/Frame | MB/Frame | \# Vertices/Frame | MB/Frame |
| :--- | :--- | :--- | :--- | :--- |
| Sphere | 672 | 0.012 | 336 | 0.006 |
| Bunny | 14,904 | 0.27 | 7,254 | 0.131 |
| Teapot | 18,960 | 0.34 | 7,494 | 0.135 |
| Nefertiti | $6,054,696$ | 108.98 | $2,899,724$ | 52.2 |

## Vertices sent to the GPU



## MB sent to the GPU



## Data Reduction




## Open Issues

- Triangle Strip Generation itself is a generally solved problem

It is "good enough"

- Making 3D Visualization More Available
- How do people without access to expensive GPUs use 3D visualization?
- Data Has Increased In Size
- How do we visualize exascale data?
- Dynamic Mesh Reduction and Level Of Detail (LOD)
- How do we render "nice" looking graphics without maxing out the hardware?


## References

Akeley, K., Haeberli, P., Burns, D.; tomesh.c. C Program on SGI Developer's Toolbox CD, 1990
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Vaněček, Petr, and Ivana Kolingerová. "Comparison of triangle strips algorithms." Computers \& Graphics 31.1 (2007): 100-118.

Schroeder, Will; Martin, Ken; Lorensen, Bill (2006), The Visualization Toolkit (4th ed.), Kitware, ISBN 978-1-930934-19-1

Discussion Slide

## Test Questions (Revisited)

1. What is a Frame and Frame Rate and why should you care about it?
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Extra slides

Nefertiti Mesh


## Optimizing Triangle Strips for Fast Rendering [1996]

"The cost columns show the total number of vertices required to represent the dataset in a generalized triangle strip representation under the OpenGL cost model (we are counting each vertex and swap that needs to be sent to the renderer)."

Evans, Francine, Steven Skiena, and Amitabh Varshney.
"Optimizing triangle strips for fast rendering." Proceedings of Seventh Annual IEEE Visualization'96. IEEE, 1996.


Figure 8: The six largest patches in a triceratops model.

| Data File | Num | Num | Cost |  | Savings |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | Verts | Tris | SGI | Ours |  |
| plane | 1508 | 2992 | 4005 | 3509 | $12 \%$ |
| skyscraper | 2022 | 3692 | 5621 | 4616 | $18 \%$ |
| triceratops | 2832 | 5660 | 8267 | 6911 | $16 \%$ |
| power lines | 4091 | 8966 | 12147 | 10621 | $13 \%$ |
| porsche | 5247 | 10425 | 14227 | 12367 | $11 \%$ |
| honda | 7106 | 13594 | 16599 | 15075 | $9 \%$ |
| bell ranger | 7105 | 14168 | 19941 | 16456 | $17 \%$ |
| dodge | 8477 | 16646 | 20561 | 18515 | $10 \%$ |
| general | 11361 | 22262 | 31652 | 27702 | $12 \%$ |

Table 1: Comparison of triangle strip algorithms.

## Data Sizes

- This can be scrapped and added as a note to numbers and data
- vecn: a vector of single-precision floating-point numbers

24bits * $n$

- perface
- 3 vertices (3 vec3s)
- 3 vertex normal vectors (3 vec3s)
- 0-8 textures ( $0-8$ vec 2 s * 3 )
$\longrightarrow$
End


## Throw away slide - SGI pseudo code

```
Algorithm 1. Pseudo-code of the basic SGI algorithm.
procedure SGIStrip
    while there is any node in the graph do
        start a new strip
        choose the lowest degree node
        add the node to the current strip
        remove the node from the graph
        update the graph
        while there exists a neighbor of the
        current node do
            node = SGIHeuristic (node)
            add the node to the current strip
            remove the node from the graph
            update the graph
        end while
    end while
end procedure
Algorithm 1. Pseudo-code of the basic \(S G I\) algorithm.
procedure SGIStrip
while there is any node in the graph do start a new strip
choose the lowest degree node
add the node to the current strip remove the node from the graph update the graph
while there exists a neighbor of the current node do
node \(=\) SGIHeuristic (node)
add the node to the current strip
remove the node from the graph
update the graph
end while
end procedure
```

```
```

Algorithm 2. Pseudo-code of the SGI heuristic.

```
```

Algorithm 2. Pseudo-code of the SGI heuristic.
function SGIHeuristic(node)
function SGIHeuristic(node)
choose the lowest degree neighbor of the node
choose the lowest degree neighbor of the node
if more nodes with the same lowest degree
if more nodes with the same lowest degree
exist then
exist then
look one step ahead
look one step ahead
return chosen neighbor
return chosen neighbor
end function

```
```

end function

```
```

